



## Algebra and Number Theory Seminar

**Title:** Reduction of abelian varieties with complex multiplication and its first truncated Barsotti–Tate group schemes (Part II)

**Speaker:** Dr Alexey Zaytsev (Sch. Math Sc., UCD)

**Date:** Mon 18th April 2011 at 4:00PM

**Location:** Mathematical Sciences Seminar Room

**Abstract:** Let  $A$  be an abelian variety over a number field  $L$  with complex multiplication by the full ring of integers  $O_K$  for some CM field  $K$ . We consider a good reduction at prime ideal  $S$  in  $L$  of the abelian variety  $A$ . After the reduction we get an abelian variety over a finite field of characteristic  $p$ . In this talk I explain a correspondence between the decomposition of the ideal  $pO_K$  into prime ideals and the decomposition of the first truncated Barsotti–Tate group scheme  $(A \bmod S)[p]$ .

In the second part of the talk, I will explain the classification of  $BT_1$ -group schemes from abelian varieties 2 and 3. Using this classification I will show a correspondence between the decomposition of the ideal  $pO_K$  and the  $A[p]$  as an abelian group scheme over algebraic closure of  $F_p$ .

<http://mathsci.ucd.ie/seminarseries/Algebra>