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field, $p = 2n - 3$, and the prescribed entries in arbitrary positions, except for two exceptions, it is possible to complete P . For this classical result we will describe an algorithm that constructs the desired completion. Then, we will extend the result to integral domains and also describe an algorithm that

finds such a completion [2]. We will say what properties do these particular completions have. We will also explain why $2n - 3$ is a natural bound and if it is possible to go beyond $2n - 3$, and finally

what other approaches to these type of problems we can

find in the literature ([3] and [4]).

References [1] D. Hershkowitz. Existence of matrices with prescribed eigenvalues and entries. *Linear and Multilinear Algebra*, 14(4):315–342, 1983. [2] Alberto Borobia, Roberto Canogar, and Helena Smigoc. A matrix completion problem over integral domains: the case with $2n - 3$ prescribed entries. *Linear Algebra Appl.*, 433:606–617, 2010. [3] Moody T. Chu, Fasma Diele, and Ivonne Sgura. Gradient flow methods for matrix completion with prescribed eigenvalues. *Linear Algebra Appl.*, 379:85–112, 2004. Tenth Conference of the International Linear Algebra Society. [4] Kh.D. Ikramov and V.N. Chugunov. Inverse matrix eigenvalue problems. *J. Math. Sci. (New York)*, 98(1):51–136, 2000. *Algebra and Number Theory*