



## Algebra and Number Theory Seminar

**Title:** A question about vector space endomorphisms

**Speaker:** Dr Rachel Quinlan (NUIG)

**Date:** Mon 15th February 2010 at 4:00PM

**Location:** Mathematical Sciences Seminar Room

**Abstract:** Let  $V$  be a vector space of dimension  $n$  over a field  $F$ , and let  $\text{End}(V)$  denote the space of  $F$ -linear transformations of  $V$ . We will discuss the following question, which is motivated by a problem in finite group theory. Suppose that  $g$  is a non-zero element of  $\text{End}(V)$ . What is the minimum possible dimension of a subspace  $X$  of  $\text{End}(V)$  not containing  $g$  but having the property that for every hyperplane  $H$  of  $V$ , there is an element of  $X$  that coincides with  $g$  on  $H$ ?