

#### UCD School of **Mathematics and Statistics**

University College Dublin Belfield, Dublin 4, Ireland Tel

Fax

Scoil na Matamaitice agus na Staitisticí UCD

An Coláiste Ollscoile, Baile Átha Cliath Belfield, Baile Átha Cliath 4, Éire

+353 1 716 2580 +353 1 716 1196

seminars@maths.ucd.ie Email Web

maths.ucd.ie/seminars

## K-Theory, Quadratic Forms and Number Theory Seminar

# Dr John Cosgrave (http://staff.spd.dcu.ie/johnbcos/)

will speak on

## Extensions of the Gauss-Wilson theorem

### Wed 26th March 2008 at 5:00PM

Location: Mathematical Sciences Seminar Room

Karl Dilcher and I have made the first extension of the G-W theorem since the appearance of Gauss' Disquisitiones. Defining  $N_n! - the' Gauss factorial' of N with respect to n - the Normal Statement of Normal$ to be the product of the residue classes in [1, N] that are relatively prime ton, we have given a complete determination of the order of the second $1/2)_n!modn.This is a composite modulus extension of Mordell's 1961 result concerning the order of (p-1)/2)_n!modn.This is a composite modulus extension of Mordell's 1961 result concerning the order of (p-1)/2)_n!modn.This is a composite modulus extension of Mordell's 1961 result concerning the order of (p-1)/2)_n!modn.This is a composite modulus extension of Mordell's 1961 result concerning the order of (p-1)/2)_n!modn.This is a composite modulus extension of Mordell's 1961 result concerning the order of (p-1)/2)_n!modn.This is a composite modulus extension of Mordell's 1961 result concerning the order of (p-1)/2)_n!modn.This is a composite modulus extension of Mordell's 1961 result concerning the order of (p-1)/2)_n!modn.This is a composite modulus extension of Mordell's 1961 result concerning the order of (p-1)/2)_n!modn.This is a composite modulus extension of Mordell's 1961 result concerning the order of (p-1)/2)_n!modn.This is a composite modulus extension of Mordell's 1961 result concerning the order of (p-1)/2)_n!modn.This is a composite modulus extension of Mordell's 1961 result concerning the order of (p-1)/2)_n!modn.This is a composite modulus extension of Mordell's 1961 result concerning the order of (p-1)/2)_n!modn.This is a composite modulus extension of Mordell's 1961 result concerning the order of (p-1)/2)_n!modn.This is a composite modulus extension of Mordell's 1961 result concerning the order of (p-1)/2)_n!modn.This is a composite modulus extension of Mordell's 1961 result concerning the order of (p-1)/2)_n!modn.This is a composite modulus extension of Mordell's 1961 result concerning the order of (p-1)/2)_n!modn.This is a composite modulus extension of Mordell's 1961 result concerning the order of (p-1)/2)_n!modn.This is a composite modulus extension of Mordell's 1961 result concerning the order of (p-1)/2)_n!modn.This is a composite modulus extension of (p-1)/2)_n!modn.This is a composite modulus extension of (p-1)/2)_n!modn.This is a composite modulus extension of (p-1)/2)_n!modn.This is$ 1/2!modp(primep).

I will outline work-in-progress concerning the order of  $(n-1/M)_n!modn for M = 3and 4$ , introduce an ewclass of primes (Ga 4 primes), and outline a number of open problems.

This talk is part of the K-Theory, Quadratic Forms and Number Theory series. For more, see https://maths.ucd.ie/seminars